# I Open at the Close: A Deep Reinforcement Learning Evaluation of Open Streets Initiatives

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#### Abstract

The open streets initiative "opens" streets to pedestrians and bicyclists by closing them to cars and trucks. The initiative, adopted by many cities across North America, increases community space in urban environments. But could open streets also make cities safer and less congested? We study this question by framing the choice of which streets to open as a reinforcement learning problem. In order to simulate the impact of opening streets, we first compare models for predicting vehicle collisions given network and temporal data. We find that a recurrent graph neural network, leveraging the graph structure and the short-term temporal dependence of the data, gives the best predictive performance. Then, with the ability to simulate collisions and traffic, we frame a reinforcement learning problem to find which streets to open. We compare the streets in the NYC Open Streets program to those proposed by a Q-learning algorithm. We find that the streets proposed by the Q-learning algorithm have reliably better outcomes, while streets in the program have similar outcomes to randomly selected streets. We present our work as a step toward principally choosing which streets to open for safer and less congested cities.

#### Introduction

Traffic congestion is at its best inconvenient and at its worst very dangerous. In 2022, American drivers spent an average of 51 hours stuck in traffic, representing an estimated 81 billion dollars in productivity loss (INRIX 2022). Furthermore, a by-product of increased traffic in urban areas is an *increase in traffic collisions* (Retallack and Ostendorf 2019). Both traffic and collisions can be mitigated by intelligent road network design, but urban road networks are already built and new infrastructure projects in cities can be prohibitively expensive (Siemiatycki 2015).

One potential solution is to "open<sup>1</sup>" existing roads to pedestrians and bicyclists by closing them to cars and trucks (Kuhlberg et al. 2014; Bertolini 2020). Generally, open streets initiatives provide a communal space for people living in urban environments. As expected, the initiatives have positive impacts, including on the physical health of the participants (Cohen et al. 2016; Sharples 2014). But there is some evidence that opening streets also improves traffic and safety. Two prominent examples are Times Square and Herald Square in Manhattan, NYC, which were turned into pedestrian plazas in 2009. After the squares opened, there was a reduction of approximately 15% travel times for routes along Broadway and a 63% reduction in injuries to drivers and passengers on the avenue (Grynbaum 2010).

Numerous exogenous variables make an empirical analysis of the effects of opening streets challenging. As a result, cities generally use a proposal process to identify which streets to open. Identifying candidate streets for opening has been studied (Youn, Jeong, and Gastner 2008; Rhoads et al. 2021); however, previous work does not simulate the effects of proposed open streets nor does it systematically consider the impact of open streets on public safety and vehicular congestion. In this work, we do both.

Contributions In the first part of our work, we build an improved model for predicting collisions, evaluated on granular and comprehensive data. We consider a wider time frame (days, months and years) and a larger space (the entirety of Manhattan) for predicting collisions than prior work. We are the first to: (1) use years of data that account for seasonal and annual variations in traffic and exogenous variables like weather (prior work only used several months), (2) use all negative and positive examples (prior work subsampled to enforce class balance), and (3) take a global view of the road network, predicting collisions at the city level while taking into account local information (prior work used only a few block radius around a collision). We compare several models for the prediction task. Our best model uses recurrent layers to capture short-term temporal dependencies and graph convolutional layers to capture spatial dependencies of our data. Finally, we analyze the importance of features in the best model and discuss connections to prior work in the transportation literature.

In the second part of our work, we use a deep learning approach to evaluating the efficacy of the NYC Open Streets program. To the best of our knowledge, we are the first to formulate the problem of opening roads in the language of reinforcement learning. We simulate road openings in real historical days. For each simulated day, we estimate traffic as the total car density per capacity of each

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<sup>&</sup>lt;sup>1</sup>In this work, we will use "open" to mean *closing* a street to vehicular traffic and *opening* a street to pedestrians and cyclists.



Figure 1: In Part 1, we build a recurrent Graph Neural Network (GNN) to predict collisions. In Part 2, we train a deep Q GNN to reduce traffic and collisions by opening road segments (using our Part 1 model to measure collisions after hypothetical road openings.) The Q-values represent the expected long-term reduction in traffic and collisions of opening a road.

road and estimate collision risk using our collision prediction model from the first part of our work. We train a deep Q-learning model to output the long term value of opening each road segment. We find that the streets opened by the NYC Open Streets program have similar performance to randomly selected streets and that the streets in the program are geographically concentrated in certain Manhattan neighborhoods. In contrast, the streets with the highest Qvalues consistently reduce collisions and traffic, with a more equal distribution across Manhattan. As a result, we recommend using our Q-learning model as an additional method for evaluating streets in the NYC Open Streets program.

Figure 1 summarizes the two parts of our work. All of our code and data are available on Github.<sup>2</sup>

#### **Related Work**

**Open Streets** Open street initiatives are multifaceted in function: they allow more space for people to safely exercise and traverse the city, they promote a decrease in vehicle traffic and carbon emissions, and they provide expanded outdoor space for businesses, particularly restaurants (Hazarika 2021). However, the initiatives have faced some challenges. Critics have pointed out a lack of equity in the implementation, arguing that more affluent neighborhoods have benefited disproportionately from the program in part because streets are chosen through a proposal process (Hazarika 2021). Prior work has used a coarse approximation of a city to suggest which roads to open (Youn, Jeong, and Gastner 2008) and suggested roads based on side walk infrastructure (Rhoads et al. 2021). But we are not aware of any work that simulates the effects of opening streets or systematically considers the impact on safety.

Collision Prediction Many papers have used traditional machine learning techniques to solve the problem of predicting collisions (Cheng and Koudas 2019; Baloch et al. 2020; Auret and Aldrich 2012). However, there are complicated spatial and temporal dependencies in road networks and collision dynamics. To fit these non-linear patterns, there has been substantial interest in deep learning techniques to predict collisions (Lin et al. 2021). In Ren et al. (2017), they use the recurrent long-short-term memory architecture to capture temporal relationships. In Zhao et al. (2019), they use standard convolutional layers to capture both temporal and spatial relationships. Our work is most similar to Yu et al. (2021). They use taxi, weather, road infrastructure, and point data to predict collisions with a deep graph neural network which captures both temporal and spatial relationships. However, they only consider a two-month period and downsample the number of events to equalize the number of collisions and non-collisions, reducing data-scale drastically.

**Traffic Prediction** The success of our work is predicated on inferring traffic flow from available taxi trip data as accurately as possible. Yu et al. (2021) focused on the prediction of collisions in Beijing, where data on the exact location of the entire Beijing taxi fleet is available in increments of 5 minutes. However, in our setting in Manhattan, we do not know the exact location of taxis during their trips. That said, we *do* have access to trip start and end GPS coordinates for the period from 2013 to 2015, and we rely on this data for traffic inference (Taxi and Commission 2022).<sup>3</sup> We note that the NYC taxi trip data before 2016 have been successfully used in a variety of applications such as fleet dispatching and routing (Bertsimas, Jaillet, and Martin 2019; Deri,

<sup>&</sup>lt;sup>2</sup>https://github.com/rtealwitter/OpenStreets

<sup>&</sup>lt;sup>3</sup>Coordinates have not been reported since 2015 due to privacy concerns.

Franchetti, and Moura 2016), taxi supply and demand (Yang and Gonzales 2017), traffic safety (Xie et al. 2017), and predicting congestion (Zhang et al. 2017). Machine learning techniques have also been quite popular for supervised learning tasks related to taxi data. These works include identifying areas of interest (Liu et al. 2021), traffic (Yao et al. 2018; Wu, Wang, and Li 2016; Zhang et al. 2021a), taxi demand (Luo et al. 2022), speeding drivers (Zhong and Sun 2022), payment type (Ismaeil, Kholeif, and Abdel-Fattah 2022), and classifying collisions (Abeyratne and Halgamuge 2020; Bao et al. 2021).

### Background

Below we summarize the notation and ideas underlying our use of graph neural networks and reinforcement learning.

**Graph Neural Networks** Graph Neural Networks (GNNs) are a popular choice for exploiting the structure in graphs (Welling and Kipf 2016). and a set of directed edges  $\mathcal{E}$ . In our work, the nodes  $\mathcal{V}$  represent the segments of the road and the edges  $\mathcal{E}$  represent the intersections that connect them.

Local structure is captured in a GNN through graph convolutional layers. Consider a node  $v \in \mathcal{V}$  and its representation  $\mathbf{x}_v^\ell \in \mathbb{R}^d$  at the  $\ell$ th layer of a GNN. Then we build its representation  $\mathbf{x}_v^{\ell+1} \in \mathbb{R}^{d'}$  at the next layer by applying a graph convolution with parameters  $\boldsymbol{\Theta} \in \mathbb{R}^{d' \times d}$ . In particular,

$$\mathbf{x}_{v}^{\ell+1} = \sigma \left( \boldsymbol{\Theta} \sum_{u:(u,v) \in \mathcal{E}} \mathbf{x}_{v}^{\ell} w_{u,v} \right)$$

where  $w_{u,v}$  is the normalized weight of the edge between u and v and  $\sigma$  is an activation function.

An advantage of GNNs in our setting is that GNNs learn weights that can be applied to exploit connections in *any* graph, provided the node features stay consistent. The size of the graph changes in our reinforcement learning problem since each action removes a road segment. Furthermore, a GNN can capture short term temporal information by passing in a hidden state to each layer, which is important in our setting as short term temporal information is more important than long term. This architecture is called a 'recurrent GNN' (RGNN) (Seo et al. 2018).

Figure 2 describes how the RGNN captures the spatial and temporal relationships in the collision prediction problem.

**Reinforcement Learning** Reinforcement Learning (RL) is a collection of techniques for optimization in online learning settings (Sutton and Barto 2018; Moerland et al. 2023).

The state space S is the set of all possible realizations of an environment while the action space A is the set of all possible options we can take in an environment. An agent is presented with a state and must then choose an action to take. Once an action is chosen, the agent transitions to a new state using a stochastic transition function  $f : S \times A \rightarrow S$ . The agent also receives a real-valued reward for taking an action in a given state according to a stochastic reward function  $r : S \times A \rightarrow \mathbb{R}$ . A "good" policy is then one that maximizes the reward an agent receives in expectation.



Figure 2: Using traffic, weather, and infrastructure data, we train a recurrent GNN to predict collisions. The recurrent connections capture short term temporal dependencies like weather. We use weighted cross entropy loss to compare the real and predicted collisions.

In this work, we consider Q-learning because it is generally more sample efficient than other techniques and produces useful intermediate values (Jin et al. 2018). The Qfunction, the namesake of Q-learning, is used to find and exploit states that produce a high reward. Consider a stochastic sequence of states and actions  $(s_0, a_0, s_1, a_1, ...)$  where  $s_{i+1} = f(s_i, a_i)$  and actions are selected according to our policy. Then we can write

$$Q(s,a) = \mathbb{E}\left[\sum_{i=0}^{\infty} r(s_i, a_i)\gamma^i\right]$$

where  $0 < \gamma < 1$  is some discount factor chosen so that we focus on near term reward. If we had these Q values, then our policy should choose the next action in state s by calculating  $\arg \max_a Q(s, a)$ .

This observation motivates the Bellman equation, a natural criteria for our Q function, where s' = f(s, a):

$$Q(s,a) = r(s,a) + \gamma \max_{a'} Q(s',a')$$

In our setting, we will use a neural network for the Q function with parameters  $\theta$ . Then the loss function is given by

$$\mathcal{L}(\theta) = \left( r(s, a) + \gamma \max_{a'} Q(s', a') - Q(s, a) \right)^2.$$

Notice that the Q function appears in two places. During optimization, we freeze weights of the 'target' Q function on the left and update the Q function on the right. Q-learning allows us to efficiently train the Q function; notice that we only need the 4-tuple (s, a, s', r) to compute the loss.

### **Part 1: Predicting Collisions**

In this section, we describe our work on predicting collisions. Compared to previous work, our work considers a

Model	F1-score	Recall (Negative)	Recall (Positive)	Recall (Macro Average)
Gaussian NB	$0.97{\pm}0.0001$	$0.95 {\pm} 0.0001$	$0.15 {\pm} 0.0001$	$0.55 {\pm} 0.0001$
LightGBM	$0.78 {\pm} 0.0005$	$0.64{\pm}0.0006$	$0.80{\pm}0.0003$	$0.72 {\pm} 0.0002$
XGBoost	$0.80{\pm}0.0001$	$0.67 {\pm} 0.0001$	$0.81{\pm}0.0001$	$0.74{\pm}0.0001$
DSTGCN (Yu et al. 2021)	$0.67 {\pm} 0.2600$	$0.56 {\pm} 0.2701$	$0.59{\pm}0.1070$	$0.57 {\pm} 0.0401$
Graph WaveNet (Wu et al. 2019)	$0.75 {\pm} 0.0121$	$0.61 {\pm} 0.0160$	$0.68 {\pm} 0.0006$	$0.64{\pm}0.0080$
Recurrent GNN (Lite)	$0.86 {\pm} 0.0130$	$0.77 {\pm} 0.0200$	$0.68 {\pm} 0.0215$	$0.73 \pm 0.0043$
Recurrent GNN	$0.87 {\pm} 0.0064$	$0.78{\pm}0.0102$	$0.74{\pm}0.0157$	0.76±0.0040

Table 1: Results of collision prediction models. Overall support in the test set was 1,803,363 observations: 1,789,838 negative and 13,525 positive examples. The  $\pm$  denotes standard deviation 10 random seeds. Since the F1-score ignores the imbalanced nature of our data, we use the macro average recall to select the best model.

longer time frame (three years instead of several months) and includes all collision *and* non-collision events available in our data set (instead of down-sampling non-collisons). In this setting, we find that our recurrent GNN outperforms the state-of-the-art models from prior work.

**Data** In order to predict collisions, we leverage infrastructure data like road attributes, day-specific weather conditions, and traffic data. The data we use are granular: we have information for all road segments in Manhattan every day over a three-year period. Each road segment is defined as the portion of a street between two intersections, yielding 19,391 segments in Manhattan. Unfortunately, traffic data is not available at our geographic and temporal scale. Instead, we infer overall traffic in our road network using a massive set of start and end locations from taxi trips. We use Dijkstra's shortest-path algorithm to efficiently calculate where taxis, and we assume other vehicles, likely drove. Since our data set is massive (10 to 15 million taxi trips per month), we used simplified shortest paths and local rerouting.

**Problem** We formulate collision prediction as a binary classification problem: "Did a collision occur at this road segment on this day?" Note that we could also frame the problem as "How many collisions occurred at this road segment on this day?" However, due to the sparsity of collisions, we chose the more tractable binary classification framing over the regression framing.

**Imbalanced Classification** Collisions over a road network are sparse. In our training data, we had more than 21 million total observations but only 160,549 collision observations (each observation is a road segment on a particular day). So, as a fraction of the data, only 0.76% of our observations came from the positive class. There are several standard approaches to imbalanced classification problems. Perhaps the most common approach is to down-sample the majority class, equalizing the total number of negative and positive examples. This is the approach taken by prior work on collision prediction (Yu et al. 2021; Lin et al. 2021). Unfortunately, down-sampling requires throwing away over 99% of our data, which is also a major drawback of the prior work. We found that the second natural approach, upsampling, was inappropriate for our task because of the high variance of collisions and difficulty in characterizing the underlying distribution (which is essentially our learning problem). A third approach, and the one that we implement, is to weight the loss functions of our collision prediction models so that the positive examples have the same importance as the negative examples. The benefit of this approach is that we can utilize all our data for learning without risking the introduction of noisy synthetic data.

**Metrics** Overall accuracy is not a helpful metric since a model that always predicts "no collisions" would have over 99% accuracy. Instead, we seek a high *recall* model for both the positive *and* negative class, to prioritize the prediction of possible collisions. However, a model that over-predicts collisions, thus drowning out useful signal for our downstream RL, is also undesirable. Therefore, the *unweighted* average of recall between the positive and negative class (also known as *macro average recall*) is our preferred metric; we find that this metric reflects our focus on recall for the positive class.

**Models** We started with standard machine learning models like Logistic Regression, Random Forest, and Gaussian Naive Bayes classifiers. Among these, only the Gaussian Naive Bayes classifier demonstrated non-trivial recall for the positive class. We then considered boosting algorithms XG-Boost and LightGBM. Both models were strong baselines likely because of their known effectiveness on data sets like ours with a large number of features (Borisov et al. 2022).

We then evaluated DSTGCN which was specifically designed for the collision prediction task (Yu et al. 2021). We found DSTGCN performed poorly, perhaps because of the much larger scale of our data and problem. We also evaluated two widely successful architectures for traffic prediction: Graph WaveNet (Wu et al. 2019) and DCRNN (Li et al. 2017). Unfortunately, DCRNN is too slow and memory intensive for our problem's scale.<sup>4</sup>

We next evaluated a recurrent GNN (RGNN). We hypothesized that the road structure and traffic patterns interact temporally *in the short term* and that the recurrent layers could successfully capture these relationships. Unlike Graph WaveNet, the RGNN uses a *fixed graph structure* which we hypothesize enables it to achieve higher performance on the large network we consider.

<sup>&</sup>lt;sup>4</sup>For its original task on 207 road segments with four months of data, training takes days to run even on an Nvidia A100. Our problem has more than 90x the number of road segments and 9x the number of samples. Even though we tried, training the DCRNN took too long on our data.



Figure 3: We use the integrated gradients method to compute the feature importance of the trained RGNN (Sundararajan, Taly, and Yan 2017). Features with negative importance (green) are associated with decreased collision risk while features with positive importance (red) are associated with increased collision risk.

Table 1 summarizes our findings. Each model was hyperparameter tuned and, when applicable (i.e. in the deep learning setting), trained for 100 iterations. We report on the average performance (plus or minus the standard deviation) over ten random initializations of each model on the same train and test sets.

Figure 3 plots the average predictive effect of the most important features. The number of cars on a road segment and the travel time (in ideal conditions) generally reduce the risk of collisions. We hypothesize this is because driving is cognitively easier in slower conditions (Nilsson et al. 2017). The remaining features we plot all generally increase the risk of collisions. Street length, street width, and speed limit are all associated with higher speed roads which make collisions more likely (Das, Park, and Sarkar 2023). The features with the next largest effects-the radius of curved roads, double level roads, and roads on the border of Manhattan-are all associated with the highways into and out of the island. It is well-documented that locations with speed variation are correlated with more collisions (Li et al. 2013). Finally, bike lanes also have a (small) effect on collisions perhaps because of the dangers of biking in Manhattan (Chen et al. 2012).

#### **Part 2: Choosing Streets**

In this section, we consider the problem of choosing which road segments to open as a mechanism for reducing traffic and collisions. A natural idea is to choose the road segments with the highest levels of traffic and most collisions. However, there are two issues with this approach:

- 1. There are complicated endogenous effects. For example, if they are rerouted from road segments with traffic, cars may clog smaller streets or exacerbate gridlock in other heavily congested areas. In addition, more complicated traffic patterns that increase cognitive load can raise the risk of collisions (Engström et al. 2017).
- 2. There are complicated temporal dynamics so road seg-



\*collision risk from Recurrent GNN

Figure 4: A state is a real historical day where we simulated opening road segments. An action opens a new road segment.

ments that are beneficial to open in some conditions may be quite harmful to open in others. Days of the week, weather patterns, and special events all impact where and how people drive.

We address these two issues by framing the problem of opening road segments as a reinforcement learning problem. In particular, we incorporate temporal dynamics by considering sequences of days and we incorporate endogenous effects by propagating road openings through time.

Figure 4 shows how we formulate the problem.

**States** States are representations of the city on a given historical day. The representation includes weather and traffic, calculated from actual taxi trips. The representation also includes all infrastructure information but some road segments

have been hypothetically opened (closed to vehicular traffic). The state carries a list and updates the traffic pattern in each new day as if all road segments on the list were opened (using the approach described below).

Actions From a state, the agent selects a road segment to open. Opening a road segment requires rerouting all cars to alternative routes. We accomplish this by finding the top k weighted shortest paths in the network where the road segment is removed and assigning traffic to each path proportional to its total weight. The weight of a road segment is the expected time to travel it in optimal conditions: the product of its posted speed limit and its length.

**Rewards** For each state, we compute the total collision risk and the total car density per lane as a measure of traffic. We compute the density per lane using:

$$\sum_{\text{road segments } \ell} \frac{\text{cars on } \ell \text{ per day}}{\text{traffic lanes on } \ell \times \text{length of } \ell}$$

However, the collision risk is much more complicated to compute. The challenge is that the states are hypothetical traffic patterns on real days so we do not actually know how many collisions would have occurred. Our solution is to calculate collision risk using the best model for predicting collisions from the first part of our work. In particular, we compute the predicted collisions from each state and sum the resulting risk of probability along each road segment. We normalize both total collision risk and total traffic using a random day. In order to compute the reward of an action, we use the sum of the collision risk and traffic in the current state minus the same quantity of the next state. Then the reward is positive if and only if the next state has reduced collision risk and traffic. Our general approach is flexible; the sum of collision risk and traffic can easily be reweighted to reflect the priority assigned by domain experts.

The RL agent learns by sampling trajectories (sequences of states, actions, and rewards) to find which road segments are best to open. We investigate 1-month-long trajectories, giving the agent time to observe the long-term effects of opening road segments while also experimenting with different strategies. There are several invalid actions that can prematurely end a trajectory. First, opening a road segment is invalid if there are no cars to reroute (this can happen because we use a single shortest path for inferring taxi trips). Second, opening a road segment is invalid if there is no other directed path from the starting intersection to the ending intersection (this can happen because we limit the road network to Manhattan).

**Local vs. Global Rerouting** When taking an action, we consider local rerouting (instead of global rerouting) because of computational cost. Our model is equivalent to a setting where drivers determine their path and then, along the way, find some road segments are opened and reroute to stay on their chosen path accordingly. Of course, the more realistic setting is that drivers know which road segments are opened and incorporate this information in the path they choose. Unfortunately, because there are tens of millions of taxi trips in our data set each month, we cannot afford to recompute the shortest path for every action. If we did, the



Figure 5: Depicts combined impact of opening a street on safety and collisions. The strategy of choosing streets with the largest Q-value leads to consistently positive reward. In contrast, the streets historically selected by the NYC Open Streets program have high variability and an even worse average impact than a random selection of streets.

time it takes to initialize the next state would jump from seconds to hours and Q-learning would be prohibitively slow.

**Q-learning** We solve the RL problem with Q-learning for two reasons: First, Q-learning tends to be more sample-efficient than other RL methods (this is particularly important because both our state space and action space are large) (Jin et al. 2018). Second, Q-learning produces a value which we can interpret as the expected long-term reward of opening a road segment. Then the road segment with the largest Q-value corresponds to the best one to open *while accounting for endogenous effects and temporal dynamics*.

## **Experiments**

**Data** Collision data comes from *NYC Open Data*, which releases cleaned police reports (OpenData 2022). Infrastructure data is a road-bed representation of NYC and contains about a hundred features like road type, traffic direction, and other features for each road segment (Planning 2022). Weather data comes from NOAA (NOAA 2022), and is geographically coarse (only from a single weather station in Central Park) but updated hourly. Finally, our taxi trip data comes from NYC's Taxi and Limousine Commission.Each trip contains features like the start and end GPS coordinates, trip duration, and time of trip. Because taxi trips stopped being shared with exact start and end locations in 2016, we conducted our experiments on data from 2013, 2014, and 2015.

**Evaluation** We used implementations of Gaussian NB, XGBoost and LightGBM for collision prediction model baselines. We used (and modified) existing implementations of DSTGCN and Graph WaveNet (Yu et al. 2021; Wu et al. 2019). We implemented our recurrent GNN models using Pytorch (Paszke et al. 2019). We hyperparameter-tuned with



Figure 6: Three plots of Manhattan. The left figure plots all 19,391 street segments with their associated Q-values (blue means an expected reduction in collisions and congestion). The middle figure plots the 121 segments in the open streets program (yellow) and the 121 segments with the largest Q-values (blue). The right figure plots neighborhoods colored by the relative prevalence of streets from the open streets initiative (yellow) and streets with the largest Q-values (blue).

RayTune (Liaw et al. 2018).

**Computing Resources** We ran our models through a compute cluster using an A100 Nvidia GPUs with 80GB of RAM. Our non-neural models ran on CPUs.

## **Experimental Results**

Q-learning provides better long term reward than the open streets initiative status-quo. Figure 5 shows a box plot of the reward received from three methods of opening streets. A positive reward indicates a reduction in congestion and collisions in the days when the streets were opened while a negative reward indicates an increase in congestion and collisions. Opening the streets with the highest Q-values consistently gives the largest reward. Their superior performance makes sense because the q-values were optimized to be a measure of long-term reward. In contrast, the streets in the NYC open streets initiative were chosen using an application process and a variety of concerns. Nonetheless, we find it noteworthy that the streets selected by the open streets program have higher variance and a lower average reward than streets that were randomly selected. We believe a principled approach using models like ours can make the open streets initiative have a positive impact on congestion and collisions. To that end, we envision explicitly modeling modifications and additions to the program as a powerful addition in the toolkit of open street advocates.

Streets with the highest Q-values are more geographically diverse than those selected by the open streets ini**tiative.** The middle plot of Figure 6 shows the 121 streets selected by the open streets initiative in yellow and the 121 streets with the highest Q-value in blue. The streets in the open streets initiative (yellow) are concentrated in Downtown Manhattan and completely absent from Midtown and most of the East Side. The right plot of Figure 6 confirms the discrepancy. Most neighborhoods have more streets with large Q-values (light and dark blue) while a handful have many more streets in the open streets initiative (dark yellow). From these two plots of Manhattan, we find that the streets with the highest Q-value are more geographically diverse. A concern with the open streets initiative is inequity in the neighborhoods that benefit from the program (Hazarika 2021). We believe an advantage to using a principled approach is a more equitable geographic distribution.

Most of the worst streets to open are East-West. In the left plot of Figure 6, almost all the streets with the lowest Q-values (dark red) are East-West. Since Manhattan is optimized for North-South travel with large one-way avenues and synchronized traffic signals, we believe the low Q-values for East-West streets are an emergent property of our model (Owen 2004).

## **Limitations and Future Work**

Due to the size of our data (tens of millions of taxi trips per month and 19,391 road segments), we reroute individual taxi trips around opened streets. This corresponds to the setting where a driver gets to a road and only then learns it is opened, while the more realistic setting corresponds to a driver planning their route with prior knowledge of opened road segments. Future work could use more compute (or a better technique) to realistically reroute traffic after streets are opened. We discuss the effective resistance as one such possible technique in the extended version online.

We intentionally focused on NYC to demonstrate a proofof-concept and integrate feedback from local transportation experts. We leave applying the approach, and even the networks we trained, to other cities as future work. We consider the objectives of reducing traffic and collisions. However, there are more objectives such as pedestrian utilization or tourist interest that could make streets desirable to open. Future work could integrate other objectives by augmenting the reinforcement learning reward function. Because collision data is necessarily sparse, prior work has used cameras and sensors to detect *near-collision* events (Wang and Chan 2017; Osman et al. 2019). Future work could use such data to improve the modeling; however, to the best of our knowledge, the requisite number of cameras and sensors are not available for even a fraction of the segments in Manhattan.

Neural networks are notoriously difficult to interpret (Zhang et al. 2021b). This is especially a problem in the high stakes domains of road networks that we applied them to. We used the integrated gradients method to analyze the feature importance our RGNN but we believe additional interpretability work would benefit models for predicting collisions and opening streets.

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## References

Abeyratne, D.; and Halgamuge, M. N. 2020. Applying Big Data Analytics on Motor Vehicle Collision Predictions in New York City. *Intelligent Data Analysis: From Data Gathering to Data Comprehension*, 219–239.

Auret, L.; and Aldrich, C. 2012. Interpretation of nonlinear relationships between process variables by use of random forests. *Minerals Engineering*, 35: 27–42.

Baloch, Z. Q.; Raza, S. A.; Pathak, R.; Marone, L.; and Ali, A. 2020. Machine Learning Confirms Nonlinear Relationship between Severity of Peripheral Arterial Disease, Functional Limitation and Symptom Severity. *Diagnostics*, 10(8).

Bao, J.; Yang, Z.; Zeng, W.; and Shi, X. 2021. Exploring the spatial impacts of human activities on urban traffic crashes using multi-source big data. *Journal of transport geography*, 94: 103118.

Bertolini, L. 2020. From "streets for traffic" to "streets for people": can street experiments transform urban mobility? *Transport reviews*, 40(6): 734–753.

Bertsimas, D.; Jaillet, P.; and Martin, S. 2019. Online Vehicle Routing: The Edge of Optimization in Large-Scale Applications. *https://doi.org/10.1287/opre.2018.1763*, 67(1): 143–162.

Borisov, V.; Leemann, T.; Seßler, K.; Haug, J.; Pawelczyk, M.; and Kasneci, G. 2022. Deep neural networks and tabular data: A survey. *IEEE Transactions on Neural Networks and Learning Systems*.

Chen, L.; Chen, C.; Srinivasan, R.; McKnight, C. E.; Ewing, R.; and Roe, M. 2012. Evaluating the safety effects of bicycle lanes in New York City. *American journal of public health*, 102(6): 1120–1127.

Cheng, Z.; and Koudas, N. 2019. Nonlinear models over normalized data. *Proceedings - International Conference on Data Engineering*, 2019-April: 1574–1577.

Cohen, D.; Han, B.; Derose, K. P.; Williamson, S.; Paley, A.; and Batteate, C. 2016. CicLAvia: Evaluation of participation, physical activity and cost of an open streets event in Los Angeles. *Preventive medicine*, 90: 26–33.

Das, S.; Park, E. S.; and Sarkar, S. 2023. Impact of operating speed measures on traffic crashes: Annual and daily level models for rural two-lane and rural multilane roadways. *Journal of Transportation Safety & Security*, 15(6): 584–603.

Deri, J. A.; Franchetti, F.; and Moura, J. M. F. 2016. Big data computation of taxi movement in New York City. In 2016 *IEEE International Conference on Big Data (Big Data)*, 2616–2625.

Engström, J.; Markkula, G.; Victor, T.; and Merat, N. 2017. Effects of cognitive load on driving performance: The cognitive control hypothesis. *Human factors*, 59(5): 734–764. Grynbaum, M. M. 2010. New york traffic experiment gets permanent run. *New York Times*, 11.

Hazarika, S. 2021. 'On Reclaiming the Streets for the People': Understanding Equity in Public Space Planning Strategies Through an Analysis of the Open Streets Program in New York City. Ph.D. thesis, Columbia University.

INRIX. 2022. Global Traffic Scorecard. INRIX; Kirkland, Washington, USA.

Ismaeil, H.; Kholeif, S.; and Abdel-Fattah, M. A. 2022. Using Decision Tree Classification Model to Predict Payment Type in NYC Yellow Taxi. *International Journal of Advanced Computer Science and Applications*, 13(3).

Jin, C.; Allen-Zhu, Z.; Bubeck, S.; and Jordan, M. I. 2018. Is Q-learning provably efficient? *Advances in neural information processing systems*, 31.

Kuhlberg, J. A.; Hipp, J. A.; Eyler, A.; and Chang, G. 2014. Open streets initiatives in the United States: closed to traffic, open to physical activity. *Journal of physical activity and health*, 11(8): 1468–1474.

Li, Y.; Yu, R.; Shahabi, C.; and Liu, Y. 2017. Diffusion convolutional recurrent neural network: Data-driven traffic forecasting. *arXiv preprint arXiv:1707.01926*.

Li, Z.; Wang, W.; Chen, R.; Liu, P.; and Xu, C. 2013. Evaluation of the impacts of speed variation on freeway traffic collisions in various traffic states. *Traffic injury prevention*, 14(8): 861–866.

Liaw, R.; Liang, E.; Nishihara, R.; Moritz, P.; Gonzalez, J. E.; and Stoica, I. 2018. Tune: A research platform for distributed model selection and training. *arXiv preprint arXiv:1807.05118*.

Lin, D.-J.; Chen, M.-Y.; Chiang, H.-S.; and Sharma, P. K. 2021. Intelligent traffic accident prediction model for Internet of Vehicles with deep learning approach. *IEEE Transactions on Intelligent Transportation Systems*, 23(3): 2340–2349.

Liu, Y.; Singleton, A.; Arribas-Bel, D.; and Chen, M. 2021. Identifying and understanding road-constrained areas of interest (AOIs) through spatiotemporal taxi GPS data: A case study in New York City. *Computers, Environment and Urban Systems*, 86: 101592.

Luo, A.; Shangguan, B.; Yang, C.; Gao, F.; Fang, Z.; and Yu, D. 2022. Spatial-Temporal Diffusion Convolutional Network: A Novel Framework for Taxi Demand Forecasting. *ISPRS International Journal of Geo-Information*, 11(3): 193.

Moerland, T. M.; Broekens, J.; Plaat, A.; Jonker, C. M.; et al. 2023. Model-based reinforcement learning: A survey. *Foundations and Trends*® *in Machine Learning*, 16(1): 1–118.

Nilsson, E.; Ahlström, C.; Barua, S.; Fors, C.; Lindén, P.; Svanberg, B.; Begum, S.; Ahmed, M. U.; and Anund, A. 2017. Vehicle Driver Monitoring: sleepiness and cognitive load.

NOAA. 2022. Daily Summaries Station Detail (Manhattan). *National Oceanic and Atmospheric Administration.* 

OpenData, N. 2022. Motor Vehicle Collisions. New York City.

Osman, O. A.; Hajij, M.; Bakhit, P. R.; and Ishak, S. 2019. Prediction of near-crashes from observed vehicle kinematics using machine learning. *Transportation Research Record*, 2673(12): 463–473.

Owen, D. 2004. Green Manhattan. *The New Yorker*, 80(31): 111–23.

Paszke, A.; Gross, S.; Massa, F.; Lerer, A.; Bradbury, J.; Chanan, G.; Killeen, T.; Lin, Z.; Gimelshein, N.; Antiga, L.; et al. 2019. Pytorch: An imperative style, high-performance deep learning library. *Advances in neural information processing systems*, 32.

Planning, N. 2022. LION Single Line Street Base Map. *NYC Department of Planning*.

Ren, H.; Song, Y.; Wang, J.; Hu, Y.; and Lei, J. 2017. A Deep Learning Approach to the Citywide Traffic Accident Risk Prediction. 2018 21st International Conference on Intelligent Transportation Systems (ITSC), 3346–3351.

Retallack, A. E.; and Ostendorf, B. 2019. Current understanding of the effects of congestion on traffic accidents. *International journal of environmental research and public health*, 16(18): 3400.

Rhoads, D.; Solé-Ribalta, A.; González, M. C.; and Borge-Holthoefer, J. 2021. A sustainable strategy for Open Streets in (post) pandemic cities. *Communications Physics*, 4(1): 183.

Seo, Y.; Defferrard, M.; Vandergheynst, P.; and Bresson, X. 2018. Structured sequence modeling with graph convolutional recurrent networks. In *International conference on neural information processing*, 362–373. Springer.

Sharples, R. 2014. As Needs Must: A Qualitative Study of Motorists' Habitual Traffic Behaviour in a Situation of Reduced Road Capacity. Ph.D. thesis, University of Technology, Sydney.

Siemiatycki, M. 2015. *Cost overruns on infrastructure projects: Patterns, causes, and cures.* Institute on Municipal Finance and Governance.

Sundararajan, M.; Taly, A.; and Yan, Q. 2017. Axiomatic attribution for deep networks. In *International conference on machine learning*, 3319–3328. PMLR.

Sutton, R. S.; and Barto, A. G. 2018. *Reinforcement learn-ing: An introduction*. MIT press.

Taxi; and Commission, L. 2022. NYC Trip Record Data. *New York City*. Accessed: 2023-01-30.

Wang, P.; and Chan, C.-Y. 2017. Vehicle collision prediction at intersections based on comparison of minimal distance between vehicles and dynamic thresholds. *IET Intelligent Transport Systems*, 11(10): 676–684.

Welling, M.; and Kipf, T. N. 2016. Semi-supervised classification with graph convolutional networks. In J. International Conference on Learning Representations (ICLR 2017).

Wu, F.; Wang, H.; and Li, Z. 2016. Interpreting Traffic Dynamics Using Ubiquitous Urban Data. In *Proceedings of the 24th ACM SIGSPATIAL International Conference on Advances in Geographic Information Systems*, SIGSPACIAL '16. New York, NY, USA: Association for Computing Machinery. ISBN 9781450345897.

Wu, Z.; Pan, S.; Long, G.; Jiang, J.; and Zhang, C. 2019. Graph wavenet for deep spatial-temporal graph modeling. *arXiv preprint arXiv:1906.00121*.

Xie, K.; Ozbay, K.; Kurkcu, A.; and Yang, H. 2017. Analysis of Traffic Crashes Involving Pedestrians Using Big Data: Investigation of Contributing Factors and Identification of Hotspots. *Risk Analysis*, 37(8): 1459–1476.

Yang, C.; and Gonzales, E. J. 2017. Modeling taxi demand and supply in New York city using large-scale taxi GPS data. In *Seeing cities through big data*, 405–425. Springer.

Yao, H.; Wu, F.; Ke, J.; Tang, X.; Jia, Y.; Lu, S.; Gong, P.; Ye, J.; and Li, Z. 2018. Deep multi-view spatial-temporal network for taxi demand prediction. In *Proceedings of the AAAI conference on artificial intelligence*, volume 32.

Youn, H.; Jeong, H.; and Gastner, M. 2008. The price of anarchy in transportation networks: efficiency and optimality control', arXiv. org, vol. 0712.

Yu, L.; Du, B.; Hu, X.; Sun, L.; Han, L.; and Lv, W. 2021. Deep spatio-temporal graph convolutional network for traffic accident prediction. *Neurocomputing*, 423: 135–147.

Zhang, K.; Sun, D. J.; Shen, S.; and Zhu, Y. 2017. Analyzing spatiotemporal congestion pattern on urban roads based on taxi GPS data. *Journal of Transport and Land Use*, 10(1): 675–694.

Zhang, Q.; Yu, K.; Guo, Z.; Garg, S.; Rodrigues, J. J.; Hassan, M. M.; and Guizani, M. 2021a. Graph neural networkdriven traffic forecasting for the connected internet of vehicles. *IEEE Transactions on Network Science and Engineering*, 9(5): 3015–3027.

Zhang, Y.; Tiňo, P.; Leonardis, A.; and Tang, K. 2021b. A survey on neural network interpretability. *IEEE Transactions on Emerging Topics in Computational Intelligence*, 5(5): 726–742.

Zhao, H.; Cheng, H.; Mao, T.; and He, C. 2019. Research on Traffic Accident Prediction Model Based on Convolutional Neural Networks in VANET. 2019 2nd International Conference on Artificial Intelligence and Big Data (ICAIBD).

Zhong, S.; and Sun, D. J. 2022. Taxi Driver Speeding: Who, When, Where and How? A Comparative Study Between Shanghai and New York. In *Logic-Driven Traffic Big Data Analytics*, 167–182. Springer.