have been continuous algorithmic improvements of orders of magnitude for solving this problem for over four decades. This leads us to believe that similar gains should be possible for more highly structured NP-hard problems.

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