Self-supervised Multi-view Stereo via Effective Co-Segmentation and Data-Augmentation

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Abstract
Recent studies have witnessed that self-supervised methods based on view synthesis obtain clear progress on multi-view stereo (MVS). However, existing methods rely on the assumption that the corresponding points among different views share the same color, which may not always be true in practice. This may lead to unreliable self-supervised signal and harm the final reconstruction performance. To address the issue, we propose a framework integrated with more reliable supervision guided by semantic co-segmentation and data-augmentation. Specially, we excavate mutual semantic from multi-view images to guide the semantic consistency. And we devise effective data-augmentation mechanism which ensures the transformation robustness by treating the prediction of regular samples as pseudo ground truth to regularize the prediction of augmented samples. Experimental results on DTU dataset show that our proposed methods achieve the state-of-the-art performance among unsupervised methods, and even compete on par with supervised methods. Furthermore, extensive experiments on Tanks&Temples dataset demonstrate the effective generalization ability of the proposed method. The code is released at: https://github.com/ToughStoneX/Self-Supervised-MVS.

Introduction
Multi-view stereo (MVS) aims at recovering 3D scenes from multi-view images and calibrated cameras, which is an important problem and widely studied in computer vision community (Seitz et al. 2006). Recent success of deep learning has triggered the interest of extending MVS pipelines to end-to-end neural networks. The learning-based methods (Yao et al. 2018, 2019) adopt CNNs to estimate the feature maps and build a cost volume upon the reference camera frustum to predict a per-view depth map for reconstruction. With the help of large-scale 3D ground truth, they outperform traditional geometry-based approaches and dominate the leaderboard. Whereas the learning-driven approaches strongly depend on the availability of 3D ground truth data for training, which is not easy to acquire (Zhong, Li, and Dai 2018).

Thus it drives the community to focus on unsupervised/self-supervised MVS approaches.

Recently, there has been a surge in the number of self-supervised MVS methods that transform the depth estimation problem to an image reconstruction problem (Khot et al. 2019; Dai et al. 2019; Huang et al. 2020). The predicted depth map and the input image are used to reconstruct the image on another view, thus the self-supervision loss is built to estimate the difference between the reconstructed and realistic image on that view. However, as summarized in Figure 1, despite the impressive efforts in previous unsupervised methods, there still exists a clear gap between supervised and unsupervised results. In this paper, we suggest to rethink the task of self-supervision itself to improve the accuracy in MVS.

Previous self-supervised MVS methods largely rely on the same color constancy hypothesis, assuming the corresponding points among different views have the same color. However, as Figure 2 shows, in realistic scenarios, various factors may disturb the color distribution, such as light conditions, reflections, noise, etc. Consequently, the ideal self-supervision loss is susceptible to be confused by these common disturbances in color, leading to ambiguous supervision in challenging scenarios, namely color constancy ambiguity. To address the issues, we aim to incorporate the following extra priors of correspondence with the prior
of color constancy in self-supervision loss: (1) The prior of semantic correspondence can provide abstract clues to guide the supervision. (2) The prior of data augmentation consistency can enhance the robustness towards color fluctuation. Hence, we propose a novel Joint Data-Augmentation and Co-Segmentation self-supervised MVS framework, namely JDACS.

For the prior of semantic consistency, most of the previous methods rely on the manually annotated semantic labels (Yang et al. 2018; Dovesi et al. 2019) restricted in fixed scenarios like autonomous driving with specified semantic classes. Whereas in the concern of MVS, on the one hand the semantic annotations are relatively expensive, on the other hand the huge variation in scenarios makes the semantic categories unfixed for segmentation which requires specified classes. Differently, we adopt non-negative matrix factorization (NMF) (Ding, He, and Simon 2005) to excavate the common semantic clusters among multi-view images dynamically for unsupervised co-segmentation (Collins, Achanta, and Susstrunk 2018). Then the semantic consistency is maximized among the re-projected multi-view semantic maps.

For the prior of data augmentation consistency, heavy data augmentation seldom appears in previous self-supervised MVS methods (Khot et al. 2019; Dai et al. 2019; Huang et al. 2020), because the natural color fluctuation in data augmentation will lead to the color constancy ambiguity in self-supervision. To preserve the reliability of self-supervision, we attach an additional data-augmentation branch with various transformations to the regular training branch. The output of regular training branch is taken as pseudo ground truth to supervise the output of augmented training branch.

In summary, our contributions are:

1. We propose a unified unsupervised MVS pipeline called Joint Data-Augmentation and Co-Segmentation framework (JDACS) where extra priors of semantic consistency and data augmentation consistency can provide reliable guidance to overcome the color constancy ambiguity.

2. We propose a novel self-supervision signal based on semantic consistency, which can excavate mutual semantic correspondences from multi-view images at unfixed scenarios in a totally unsupervised manner.

3. We propose a novel way to incorporate heavy data augmentation into unsupervised MVS, which can provide regularization towards color fluctuation.

4. The experimental results show that our proposed method can lead to a leap of performance among unsupervised methods and compete on par with some top supervised methods.

**Related Work**

**Supervised MVS:** Recent advances in deep learning have interested a series of learnable systems for solving MVS problems (Huang et al. 2018; Ji et al. 2017). MVSNet (Yao et al. 2018) is an end-to-end MVS pipeline that builds a cost volume upon the reference camera frustum and learns the 3D regularization with CNNs. Many variants based on MVSNet have been proposed for improving the performance (Yao et al. 2019; Luo et al. 2019). Concurrently, along with the fervor for expanding the MVS framework to a coarse-to-fine manner, (Chen et al. 2019; Yu and Gao 2020; Yang et al. 2020; Cheng et al. 2020; Gu et al. 2020; Xu and Tao 2020) separate the single MVS pipeline into multiple stages, achieving impressive performances.

**Unsupervised MVS:** Under the assumption of photometric consistency (Godard, Mac Aodha, and Brostow 2017), unsupervised learning has been developed in multi-view systems. (Khot et al. 2019) inherit the self-supervision signal based on view synthesis and dynamically aggregates informative clues from nearby views. (Dai et al. 2019) predict the depth maps for all views simultaneously and filter the occluded regions. (Huang et al. 2020) further endow the depth-normal consistency into the MVS pipeline for improvement. Whereas all these methods share the assumption of color constancy, suffering from ambiguous supervision in challenging scenarios.

**Segmentation Guided Algorithms:** By assigning each pixel in the image to a specific class, semantic segmentation (Long, Shelhamer, and Darrell 2015) can provide an abstract representation. Several methods incorporate the scene parsing information with other tasks. SegStereo (Yang et al. 2018) enables joint learning for segmentation and disparity estimation simultaneously and (Cheng et al. 2017) utilize semantic clues to guide the training of optical flow estimation. These methods rely on annotated labels for segmentation in specific scenes like autonomous driving, whereas we differently concentrate on excavating semantics from dynamic scenarios. Co-segmentation methods aim at predict-
ing foreground pixels of objects given an image collection (Joulin, Bach, and Ponce 2012). We apply unsupervised co-segmentation (Casser et al. 2019) on the multi-view pairs to exploit the common semantics.

**Method**

In this section, we present Joint Data-Augmentation and Co-Segmentation framework (JDACS). To improve the reliability towards color constancy ambiguity, we incorporate extra priors of semantic consistency and data-augmentation consistency with a basic structure of deep MVS pipeline (Yao et al. 2018) in JDACS. As Figure 3 shows, the architecture of JDACS consists of Depth Estimation branch, Co-Segmentation branch and Data-Augmentation branch.

**Depth Estimation Branch**

As an unsupervised method, our proposed framework can be combined with arbitrary MVS networks. Here, we adopt MVSNet (Yao et al. 2018) as a representative backbone. The network firstly extracts features using a CNN from N input images. Then a variance-based cost volume is constructed via differentiable homography warping and a 3D U-Net is used to regularize the 3D cost volume. Finally, the depth map is inferred for every reference image. A sketch of the pipeline is shown in Figure 3.

**Photometric Consistency:** The key idea of photometric consistency (Barnes et al. 2009) is to minimize the difference between synthesized image and original image on the same view. Denote that the 1-st view is the reference view and the remaining N − 1 views as source views indexed by i(2 ≤ i ≤ N). For a particular pair of images (I1, Ii) with associated intrinsic and extrinsic parameters (K, T). We can calculate the corresponding position p'ji in source view based on its coordinate pji in reference view.

\[ p'ji = KT(DpjiK^{-1}pji) \]  

(1)

where j(1 ≤ j ≤ HW) is the index of pixels and D represents the predicted depth map.

The warped image I'ji can then be obtained by using the differentiable bilinear sampling from Ii.

\[ I'ji(pji) = Ii(p'ji) \]  

(2)

Along with the warping, a binary validity mask Mi is generated simultaneously, indicating valid pixels in the novel view because some pixels may be projected to the external area of images. In a MVS system, we can warp all N − 1 source views to the reference view to calculate the loss.

\[ L_{PC} = \sum_{i=2}^{N} ||(I'ji - I1) \odot M_i||_2 + ||(\nabla I'ji - \nabla I1) \odot M_i||_2 ||M_i||_1 \]  

(3)

where \( \nabla \) denotes the gradient operator and \( \odot \) is dot product.

**Co-Segmentation Branch**

In previous methods (Yang et al. 2018; Casser et al. 2019), handcrafted semantic annotations are usually utilized to provide extra supervision to improve the performance. However, due to the huge variation of scenarios and the expensive cost for manual annotations in MVS, we differently choose to mine the implicit common segments from multi-view images via unsupervised co-segmentation. Co-segmentation aims at localizing the foreground pixels of the common objects given an image collection. It has been proven that non-negative matrix factorization (NMF) has an inherent clustering property in (Ding, He, and Simon 2005). Following (Ding, He, and Simon 2005), NMF applied to the activations of a pretrained CNN layer can be exploited to find semantic correspondences across images.

**Non-negative Matrix Factorization:** Non-negative matrix factorization (NMF) is a group of algorithms in multivariate analysis and linear algebra where a matrix A is factorized into two matrices P and Q. All the three matrices are with the property that having no negative elements. As (Ding, He, and Simon 2005) shows, NMF has an inherent clustering property that it automatically clusters the columns of matrix A = (a1, ..., an). More specifically, if we impose an orthonormal constraint on Q(Q^TQ - I), then the approximation of A by A ≈ PQ achieved by minimizing the following error function is equivalent to the optimization of K-means clustering.

\[ ||A - PQ||_F, P \geq 0, Q \geq 0 \]  

(4)

where the subscript F means the Frobenius Norm.
Figure 4: Brief illustration of the clustering effect of NMF.

**Clustering on CNN Activations:** ReLU is a common component for many modern CNNs, due to its desirable gradient properties. The CNN feature maps activated by ReLU result in non-negative activations, which naturally fit for the target of NMF. As shown in Figure 3, we apply a pretrained VGG network (Simonyan and Zisserman 2014) for feature extraction. Denote that the extracted feature maps is of dimension \((H, W, C)\) on each of the \(N\) views. Then the multi-view feature maps are concatenated and reshaped to a \((NHW, C)\) matrix \(A\). By utilizing multiplicative update rule in (Ding, He, and Simon 2005) to solve NMF, \(A\) is factorized into a \((NHW, K)\) matrix \(P\) and \((K, C)\) matrix \(Q\), where \(K\) is the NMF factors representing the number of semantic clusters. For a comprehensive understanding, we provide a brief interpretation of the results \(P, Q\) and the clustering effect of NMF in Figure 4.

**The Q matrix:** Due to the orthonormal constraints of NMF \((QQ^T = I)\) (Ding, He, and Simon 2005), each row of the \((K, C)\) matrix \(Q\) can be viewed as a cluster centroid of \(C\) dimensions, which corresponds to a coherent object among views.

**The P matrix:** The rows of the \((NHW, K)\) matrix \(P\) correspond to the spatial positions of all pixels from \(N\) views. In general, the matrix factorization \(A \approx PQ\) enforces the product between each row of \(P\) and each column of \(Q\) to best approximate the \(C\) dimensional feature of each pixel in \(A\). As shown in Figure 4, \(K = 3\) semantic objects are clustered in \(Q\) from the feature embeddings of all pixels in \(A\), thus \(P\) contains the similarity between each pixel and each of the \(K = 3\) clustered semantic objects. Consequently, \(P\) can further be reshaped into \(N\) heat maps of dimension \((H, W, K)\) and fed into a softmax layer to construct the co-segmentation maps \(S\).

**Semantic Consistency Loss:** With the co-segmentation maps \(S\) extracted from matrix \(P\), we can design a self-supervision constraint based on semantic consistency. The key idea is to expand the photometric consistency across multiple views (Barnes et al. 2009) to the segmentation maps. Similar to the photometric consistency discussed in Section 4, we can calculate the corresponding position \(p'_i\) in source views with the pixel \(p_j\) in reference view according to Equation 1, given the predicted depth value \(D(p_j)\) and the \(j\)-th pixel in the image. Then the warped segmentation map \(S'_i\) from the \(i\)-th source view can be reconstructed by bilinear sampling.

\[
S'_i(p_j) = S_i(p'_j) \tag{5}
\]

Finally, the semantic-consistency objective \(L_{SC}\) is measured by calculating the per-pixel cross-entropy loss between the warped segmentation map \(S'_i\) and the ground truth labels converted from reference segmentation map \(S_1\).

\[
L_{SC} = - \sum_{i=2}^{N} \frac{1}{||M_i||_1} \sum_{j=1}^{HW} f(S_{1,j}) \log(S'_{i,j}M_{i,j}) \tag{6}
\]

where \(f(S_{1,j}) = \text{onehot}(\text{arg max}(S_{1,j}))\) and \(M_i\) is a binary mask indicating valid pixels from the \(i\)-th view to reference view.

**Data-Augmentation Branch**

Some recent works (Xie et al. 2019; Chen et al. 2020) in contrastive learning demonstrate the benefits of data augmentation in self-supervised learning. The intuition is that data augmentation brings challenging samples which help the reliability of unsupervised loss and hence provides robustness towards variations.

Briefly, a random vector \(\theta\) is defined to parameterize an arbitrary augmentation \(\tau_\theta : I \rightarrow I_{\tau_\theta}\) on image \(I\). However, data augmentation has seldom been applied in self-supervised methods (Khot et al. 2019; Dai et al. 2019; Huang et al. 2020), because natural color fluctuation in augmented images may disturb the color constancy constraint of self-supervision. Hence, we enforce the unsupervised data augmentation consistency by contrasting the output of original data and augmented samples as a regularization, instead of optimizing the original objective of view synthesis.

**Data Augmentation Consistency Loss:** Specifically, as shown in Figure 3, the prediction of a regular forward pass for original images \(I\) in Depth Estimation branch is denoted as \(D\). Accordingly, the prediction of augmented images \(I_{\tau_\theta}\) is denote as \(D_{\tau_\theta}\). In a contrastive manner, the data-augmentation consistency is ensured by minimizing the difference between \(D\) and \(D_{\tau_\theta}\):

\[
L_{DA} = \frac{1}{||M_{\tau_\theta}||_1} \sum_{i=1}^{||M_{\tau_\theta}||} ||(D - D_{\tau_\theta}) \odot M_{\tau_\theta}||_2 \tag{7}
\]

where \(M_{\tau_\theta}\) represents the unoccluded mask under transformation \(\tau_\theta\). Due to the epipolar constraints among different views, the integrated augmentation methods in our framework should not change the spatial location of pixels. We will show some augmentation methods used in our method as follows:

**Cross-view Masking:** To simulate the occlusion hallucination among the multi-view situations, we randomly generate a binary crop mask \(1 - M_{\tau_\theta}\) to block out some regions on reference view. Then the occlusion mask is projected to other views to mask out the corresponding area in images. Following the assumption that the remaining regions \(M_{\tau_\theta}\) should be immune to the transformation, we can contrast the validity regions between the results of original and augmented samples.

**Gamma Correction:** Gamma correction is a nonlinear operation used to adjust the illuminance of images. To simulate various illuminations, we integrate random gamma correction \(\tau_\theta\) parameterized by \(\theta_2\) to challenge the unsupervised loss.
Table 1: Quantitative results on DTU evaluation benchmark. Geo. represents traditional geometric methods. Sup. represents supervised methods. UnSup. represents unsupervised methods.

Color Jitter and Blur: Many transformations can attach color fluctuation to images, such as random color jitter, random blur, random noise. The color fluctuation makes the unsupervised loss in MVS unreliable, because the photometric loss requires the color constancy among views. In contrast, these transformations denoted as \( \tau_\theta \) can create challenging scenes and regularize the robustness towards color fluctuation in self-supervision.

The overall transformation \( \tau_\theta \) can be represented as a combination of the aforementioned augmentations: \( \tau_\theta = \tau_\theta_3 \circ \tau_\theta_2 \circ \tau_\theta_1 \), where \( \circ \) represents function composition.

Overall Architecture and Loss
As shown in Figure 3, the overall framework has three components: Depth Estimation branch, Co-Segmentation branch and Data-Augmentation branch. In our paper, we aim to handle the color constancy ambiguity problem in self-supervised MVS, as discussed in Section I. Apart from the basic self-supervision signal based on photometric consistency \( L_{PC} \) (Equation 1), we add two extra self-supervision signals of semantic consistency \( L_{SC} \) and data-augmentation consistency \( L_{DA} \) to the framework. In addition to the aforementioned loss, some common regularization terms suggested by (Mahjourian, Wicke, and Angelova 2018; Khot et al. 2019) for depth estimation are applied, such as structured similarity \( L_{SSIM} \) and depth smoothness \( L_{Smooth} \).

The final objective can be constructed as follows:

\[
\hat{L} = \lambda_1 L_{PC} + \lambda_2 L_{SC} + \lambda_3 L_{DA} \\
+ \lambda_4 L_{SSIM} + \lambda_5 L_{Smooth}
\]

where the weights are empirically set as: \( \lambda_1 = 0.8, \lambda_2 = 0.1, \lambda_3 = 0.1, \lambda_4 = 0.2, \lambda_5 = 0.0007 \).

Experiments
In this section, we conduct comprehensive experiments to evaluate the proposed JDACS framework. First, we introduce the implementation details. Then, we evaluate the proposed method on DTU benchmark (Aanæs et al. 2016) and further conduct ablation studies to analyze the significant components. At last, we test the proposed method on Tanks&Temples benchmark (Knapitsch et al. 2017) to verify the generalization ability.

Implementation Details
Backbone: In default, the most concise MVSNet (Yao et al. 2020) is applied as backbone in our JDACS framework. We denote the framework as JDACS-MS if a multi-stage MVSNet like CVP-MVSNet (Yang et al. 2020) is selected as backbone.

Training and Testing: During the training phase, we only use the training set of DTU without any ground truth depth maps. Our proposed JDACS is implemented in Pytorch and trained on 4 NVIDIA RTX 2080Ti GPUs. In default, the hyper-parameters during training and testing phase follow the same setting of Unsup_MVS (Khot et al. 2019). With a pattern of data-parallel, the batch size is set to 1 per GPU for JDACS and 4 per GPU for JDACS-MS, which consume no more than 10G memories in each GPU. We use Adam optimizer with a learning rate of 0.001 which decreases by 0.5 times for every two epochs. JDACS is trained for 10 epochs as CVP-MVSNet, our results.

Error Metrics: In the DTU benchmark, Accuracy is measured as the distance from the result to the ground truth, encapsulating the quality of reconstruction; Completeness is measured as the distance from the ground truth to the result, encapsulating how much of the surface is captured; Overall is a the average of Accuracy and Completeness, acting as a composite error metric. In the Tanks&Tempees benchmark, F-score in each scene is calculated following the official evaluation process.
<table>
<thead>
<tr>
<th>Method</th>
<th>Supervised</th>
<th>Input Size</th>
<th>Depth Map Size</th>
<th>Acc.</th>
<th>Comp.</th>
<th>Overall</th>
</tr>
</thead>
<tbody>
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<td>1152 × 864</td>
<td>288 × 216</td>
<td>0.456</td>
<td>0.646</td>
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<td>JDACS</td>
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<td>0.398</td>
<td>0.318</td>
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Table 2: Comparison between the backbone networks with same settings trained by supervision and our JDACS self-supervision framework. Due to the GPU memory limitation, we decrease the resolution of MVSNet to 1152 × 864 as (Chen et al. 2019).

Figure 6: Qualitative results JDACS on scan12 of the DTU dataset. Top row: Overview of generated point clouds with different combinations of self-supervision components. Bottom row: zoomed local areas. $L_{PC}$: Photometric-Consistency Loss; $L_{SC}$: Semantic-Consistency Loss; $L_{DA}$: Data-Augmentation-Consistency Loss.

<table>
<thead>
<tr>
<th>$L_{PC}$</th>
<th>$L_{SC}$</th>
<th>$L_{DA}$</th>
<th>Acc.</th>
<th>Comp.</th>
<th>Overall</th>
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</tr>
</tbody>
</table>

Table 3: Ablation Study of different components in our JDACS self-supervision network.

<table>
<thead>
<tr>
<th>$L_{PC}$</th>
<th>$L_{SC}$</th>
<th>$L_{DA}$</th>
<th>K</th>
<th>Acc.</th>
<th>Comp.</th>
<th>Overall</th>
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<td>8</td>
<td>0.6224</td>
<td>0.6030</td>
<td>0.6127</td>
</tr>
</tbody>
</table>

Table 5: Ablation Study of different numbers of semantic clusters $K$.

Figure 7: Visualization of the co-segmentation results with different number of segmentation parts $K$.

**Benchmark on DTU**

**Comparison with SOTA**: The official metrics of the DTU dataset (Aanæs et al. 2016) are: Accuracy, Completeness and Overall. These metrics are used to compare our proposed methods with other methods. The comparison includes traditional methods such as Furu (Furukawa and Ponce 2009), Tola (Tola, Strecha, and Fua 2012), Camp (Campbell et al. 2008), Gipuma (Galliani, Lasinger, and Schindler 2015). For the supervised methods, single stage networks such as Surfacednet (Ji et al. 2017), MVSNet (Yao et al. 2018), P-MVSNet (Luo et al. 2019), R-MVSNet (Yao et al. 2019), and multi-stage networks such as Point-MVSNet (Chen et al. 2019), Fast-MVSNet (Yu and Gao 2020), CVP-MVSNet (Yang et al. 2020) are included. Furthermore, the current state-of-the-art unsupervised methods such as Unsup_MVS (Khot et al. 2019), M$^3$VS (Dai et al. 2019) and M$^3$VSNet (Huang et al. 2020) are compared.

The quantitative results are shown in Table 1. From Table 1, we can conclude that our proposed method outperforms previous unsupervised methods in all official metrics. Furthermore, our proposed method can reconstruct better point cloud than traditional methods and some supervised methods in the metric of Overall. The supervised methods tend to have better performance in the metric of Accuracy, while unsupervised methods usually achieve better performance in the metric of Completeness. The qualitative comparisons in Figure 5 demonstrate that our proposed method is compara-
Table 6: Quantitative comparison with previous unsupervised methods without finetuning on Tanks&Temples dataset.

<table>
<thead>
<tr>
<th>Method</th>
<th>Mean</th>
<th>Family</th>
<th>Francis</th>
<th>Horse</th>
<th>Lighthouse</th>
<th>M60</th>
<th>Panther</th>
<th>Playground</th>
<th>Train</th>
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</thead>
<tbody>
<tr>
<td>MVS²</td>
<td>37.21</td>
<td>47.74</td>
<td>21.55</td>
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<td>44.86</td>
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</tr>
<tr>
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</tr>
<tr>
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<td>46.66</td>
<td>45.25</td>
<td>47.69</td>
<td>37.16</td>
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</tbody>
</table>

Supervised vs Self-Supervised: From Table 1, we can find that there still exists a clear gap of performance between SOTA supervised methods and previous unsupervised methods. To provide a fair comparison without extra components, we compare our proposed self-supervision framework with supervised methods in the same network settings. The only difference is that our model is trained without any ground truth depth maps. The comparison is provided in Table 2. The supervised baselines are borrowed from previous papers (MVSNet from (Chen et al. 2019), CVP-MVSNet from (Yang et al. 2020)). The results in Table 2 demonstrate that our proposed framework can compete on par with the supervised opponents in the same network settings.

Effect of Different Prior Components: To evaluate the effect of our proposed prior of semantic consistency and data augmentation consistency, we train the networks with different combinations of these self-supervised signals. The quantitative results with different components in our proposed JDACS framework are summarized in Table 3 and Table 4. The model settings of JDACS in Table 3 and JDACS-MS in Table 4 is the same as the ones in Table 2. The qualitative visualization of the results of different components in JDACS-MS is provided in Figure 6. The experimental results demonstrate that endowing these extra priors into the self-supervision training can promote the performance in MVS. For example, as illustrated in Table 3, the Overall error metric decreases from 0.6777mm to 0.5953mm by including the prior of semantic consistency, from 0.6777mm to 0.5898mm with the help of involving data augmentation based branch.

Effect of Semantic Cluster Numbers: Different from manual semantic annotations in supervised learning, the semantic concepts excavated in an unsupervised manner are ambiguous. The number of semantic clusters $K$ is a significant hyper-parameter for determining the categories of common semantic concepts among different views. Hence we conduct experiments about the effect of different semantic cluster numbers $K$ and the results are reported in Table 5. Furthermore, a brief visualization of these semantic clusters is provided in Figure 7. From the visualization and the table, we can conclude that when the semantic clusters are more than 4, the localization of the semantic parts becomes less accurate than the ones with less than 4 clusters. As a result, we select $K = 4$ clusters as a default setting in our proposed method.

Generalization

In this section, we compare our proposed JDACS with previous unsupervised methods on Tanks&Temples dataset. Due to the requirement of more than 20G memories in GPU using the original post-processing tool provided by (Yao et al. 2018), instead, we use an open simplified version on https://github.com/xy-guo/MVSNet_pytorch, which can be deployed on a GPU with 11G memories like RTX 2080Ti. We follow the same hyper-parameter settings as MVS² (Dai et al. 2019). The quantitative comparison with previous unsupervised methods is provided in Table 6 and the visualization of the reconstructed dense point clouds is shown in Figure 8. Our proposed JDACS has better performance by the mean score of 8 scenes than previous unsupervised methods, which is the best unsupervised MVS method until September 9, 2020.

Conclusion

In this paper, we have proposed a novel unsupervised learning based MVS framework, JDACS, aiming at alleviating the gap between supervision and self-supervision caused by the coarse hypothesis of color constancy. On the one hand, our proposed method can enforce cross-view data-augmentation consistency into self-supervision with challenging variations. On the other hand, we can excavate the implicit common semantic clusters among different views and enforce the cross-view semantic consistency to provide a semantic-level correspondence metric. Experimental results on multiple benchmarks demonstrate the effectiveness of our proposed self-supervised framework.
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