Discourse Relations Detection via a Mixed Generative-Discriminative Framework

Jifan Chen, Qi Zhang, Pengfei Liu, Xuanjing Huang
Shanghai Key Laboratory of Data Science
School of Computer Science, Fudan University
825 Zhangheng Road, Shanghai, P.R.China
jfchen14, qz, pfliu14, xjhuang}@fudan.edu.cn

Abstract

Word embeddings, which can better capture the fine-grained semantics of words, have proven to be useful for a variety of natural language processing tasks. However, because discourse structures describe the relationships between segments of discourse, word embeddings cannot be directly integrated to perform the task. In this paper, we introduce a mixed generative-discriminative framework, in which we use vector offsets between embeddings of words to represent the semantic relations between text segments and Fisher kernel framework to convert a variable number of vector offsets into a fixed length vector. In order to incorporate the weights of these offsets into the vector, we also propose the Weighted Fisher Vector. Experimental results on two different datasets show that the proposed method without using manually designed features can achieve better performance on recognizing the discourse level relations in most cases.

Introduction

Discourse relations describe how two segments (e.g. clauses, sentences, and larger multi-clause groupings) of discourse are logically connected. These relations can be used to describe the high-level organization of text. Hence, various NLP applications, such as opinion mining (Somasundaran and Wiebe 2009; Heerschop et al. 2011; Taboada et al. 2011), summarization (Thione et al. 2004; Cristea, Postolache, and Pistol 2005), essay quality analysis (Attali and Burstein 2006), and event detection (Huang and Riloff 2012), can benefit from it.

Along with the increasing requirements, the discourse relation classification and discourse parsing tasks have received considerable attention in recent years. Existing researches have been conducted from different perspectives, including rich linguistic features (Soricut and Marcu 2003; Subba and Di Eugenio 2009; Feng and Hirst 2012), rule based methods (Polanyi et al. 2004), statistical methods (Baldrige and Lascarides 2005; Duverle and Prendinger 2009; Lin, Kan, and Ng 2009; Muller et al. 2012; Li et al. 2014; Ji and Eisenstein 2015), and deep learning based methods (Li, Li, and Hovy 2014). Because there is no discourse-level grammar analogous to sentence-level grammar, discourse relations are less straightforward to define and capture than sentence-level parsing. Most of the works mentioned above treated the task as a supervised classification problem and used linguistic features relating to words and other syntax-related cues to perform the task.

Recently, methods for learning continuous word representations have succeeded in capturing semantic and syntactic regularities using vector arithmetic (Pennington, Socher, and Manning 2014; Mikolov et al. 2013) introduced an interesting observation about word analogies. For example:

\[ v(\text{king}) - v(\text{queen}) \approx v(\text{man}) - v(\text{woman}) \]

\(v(\cdot)\) denotes the embedding of a word. This indicates that vector offsets in embedding space can represent the shared semantic relations between word pairs. Many existing works also show that hidden relation between words can be represented by the vector arithmetic (Pennington, Socher, and Manning 2014; Fu et al. 2014). Thus, it motivates us to assume that offsets between embeddings of words in a pair of text segments can represent their relevant semantic relations.

In this paper, we introduce a method based on the idea of using vector offsets between word embeddings for discourse relation extraction. Each word in a discourse segment is first embedded into a \(d\)-dimensional vector space by a looking-up word embeddings table. Word embeddings can be learned in advance by a feed-forward neural network language model (Bengio et al. 2006), continuous skip-gram model (Mikolov et al. 2013), or other methods. Then vector offsets between word embeddings in segment pairs are calculated. As the number of words is variable in different segments, we propose to use the Fisher kernel framework (Jaakkola, Haussler, and others 1999) to aggregate these vector offsets into a fixed length vector. Finally, supervised methods are used to model the task based on the fixed length vectors.

The main contributions of this work can be summarized as follows:

- We proposed to use vector offsets between word embeddings to represent semantic relations between sentences or segments.
- The Fisher kernel framework is incorporated to convert a variable number of vector offsets into a fixed length vector, and in order to incorporate the weights of these offsets into the vector, we also propose the Weighted Fisher Vector.
• Experimental results on two datasets show that the proposed method can achieve comparable performance with the state-of-the-art methods using rich linguistic features.

The Proposed Approach

Inspired by the observations in word analogy of word embeddings, we in this work assume that vector offsets between word embeddings in each pair of text segments can represent the semantic relations between them. The processing flow of the proposed approach is shown in Fig. 1. Given a pair of text segments, first, through a lookup table, each word in the pair of text segments is represented by its corresponding word embedding. Then, the vector offsets between all of the word embeddings in the two text segments are computed. These vector offsets compose a word embedding offset matrix. Since the size of the matrix is depended on the lengths of the two text segments, it cannot be directly used for supervised methods. Hence, we then use Fisher kernel framework to aggregate them into fixed-length vectors. Finally, we use a supervised classifier to predict the discourse relation based on the generated vectors. In the following of this section, we will illustrate the details of these steps of the proposed framework.

The Word Embedding Offset Matrix

Distributed word representations (word embeddings) are usually designed to capture the attributional similarities between words, which is defined by Turney (2006). It means that words with the same context will be close in the embeddings spaces. Recently, various works also demonstrated that vector offset between word embeddings can present the hidden semantic relations between words. Based on these observations, in this work, we propose to use offsets between embeddings of words in a pair of text segments to learn the relations between them.

A text segment \( s \) with length \( N \) in a corpus \( D \) can be represented as a word sequence \( w_1, w_2, \ldots, w_N \). Through a lookup table \( T \), \( s \) can be transformed to a sequence of word embeddings \( e_s = e_{w_1}, e_{w_2}, \ldots, e_{w_N} \) with each word in \( s \) been mapped into a \( d \)-dimensional vector space. Suppose there are two text segments \( s_p, s_q \) with length \( m \) and \( n \), in order to construct an embedding offset matrix \( M \), we first convert them to two embedding sequences \( e_{s_p} \) and \( e_{s_q} \). Then we compute the vector offsets between all word embeddings in the two segments, these vector offsets fill an offsets matrix \( M \), where \( M \) is a \( m \times n \) matrix and \( M = \{ o_{ij} \} \) with \( o_{ij} = e_{w_i} - e_{w_j}, 0 \leq i \leq m, 0 \leq j \leq n \), \( e_{w_i} \) and \( e_{w_j} \) are the \( i \)th and \( j \)th word embeddings in \( e_{s_p} \) and \( e_{s_q} \). As the number of words are variable in different segments, the size of the embedding offset matrix (EOM) is also different.

Fig. 2 visualizes four word embeddings offset matrixes, which are constructed based on the examples given in the PDTB annotation manual (Prasad et al. 2007). Fig. 2 (a) and (b) show examples about CONTINGENCY relation. Fig. 2 (c) and (d) show examples about COMPARISON relation. From the these examples, we can see that a large percent of offsets in Fig. 2 (a) and (b) point to the bottom-left directions. While, many vectors offsets in Fig. 2 (c) and (d) point to the right directions, except for the offsets related to the stop words (such as to, the, et al.). We can see that the EOMs constructed based on the sentence pairs with the same relations are similar with each other and EOMs of different relations are different.

Fisher Vector

Given an embedding offset matrix \( M \), since we don’t focus on the order of those vector offsets in the matrix, then \( M \) can be treated as a bag of vector offsets \( M = \{ o_t \} \), where \( N \) represents the size of \( M \). We assume that the generation process of \( M \) can be modeled by a probability density function \( u_\lambda \) with parameter \( \lambda \). Then the vector offset matrix \( M \) can be characterized using the following score function:

\[
G^M_\lambda = \log u_\lambda(M), \quad (1)
\]

where \( G^M_\lambda \) is a vector whose size is only depended on the number of parameters in \( \lambda \), not on the number of offset in the
matrix. The gradient describes the contribution of each individual parameters to the generative process. In other words, it describes how the parameters of the generative model $u_\lambda$ should be modified to better fit the data. The fisher kernel on these gradient is (Jaakkola, Diekhans, and Haussler 1999):

$$K_{FK}(M, \tilde{M}) = G^{M'}_\lambda F^{-1} G^{M}_\lambda,$$

where $F_\lambda$ is the Fisher information matrix of $u_\lambda$:

$$F_\lambda = E_{M \sim u_\lambda} \left[ G^{M'}_\lambda G^{M}_\lambda \right].$$

Since $F_\lambda$ is symmetric and positive definite, it has a Cholesky decomposition $F_\lambda = L'_\lambda L_\lambda$, and $K_{FK}(M, \tilde{M})$ can be rewritten as a dot-product between normalized vector $\mathcal{G}$ with:

$$\mathcal{G}_\lambda^M = L_\lambda G^M_\lambda = L_\lambda \nabla_\lambda \log u_\lambda(M),$$

where $\mathcal{G}_\lambda^M$ is referred to as the Fisher Vector of $M$.

We follow the work of (Perronnin and Dance 2007), and choose $u_\lambda$ to be a Gaussian mixture model (GMM): $u_\lambda(x) = \sum_{i=1}^K w_i u_i(x)$. Thus $\lambda = \{ w_i, \mu_i, \Sigma_i, 1 \leq i \leq K \}$, where $w_i$, $\mu_i$, and $\Sigma_i$ are respectively the mixture weight, mean vector and covariance matrix of Gaussian $u_i$. We assume that the covariance metrics are diagonal as any distribution can be approximated with an arbitrary precision by a weighted sum of Gaussian with diagonal covariance, we use the notation $\sigma^2_i = \text{diag}(\Sigma_i)$ (Perronnin and Dance 2007). The GMM $u_\lambda$ is trained on the whole set of embedding offset matrix through Maximum Likelihood (ML).

We consider the gradient with respect to the mean and the diagonal covariance matrix (the gradient with respect to the weight parameters brings little additional information). Let $D$ denote the dimensionality of $\omega_t$ in $M$, let $\mathcal{G}_{\mu_i}^M$ be the gradient with respect to the mean $\mu_i$, and $\mathcal{G}_{\sigma_i}^M$ be the gradient with respect to $\sigma_i$ of Gaussian $i$. Mathematical derivations lead to:

$$\mathcal{G}_{\mu_i}^M = \frac{1}{N \sqrt{w_i}} \sum_{t=1}^N \gamma_t(i) \left( \frac{\omega_t - \mu_i}{\sigma_i} \right),$$

where $\gamma_t(i)$ is the soft assignment of $\omega_t$ to Gaussian $i$, which is also known as the posterior probability or responsibility:

$$\gamma_t(i) = \frac{w_i u_i(\omega_t)}{\sum_j^N w_j u_j(\omega_t)},$$

and where $N$ is the size of offset matrix $M$, the division and exponentiation of vectors should be understood as term-by-term operations. The final gradient vector $\mathcal{G}_\lambda^M$ is the concatenation of the $\mathcal{G}_{\mu_i}^M$ and $\mathcal{G}_{\sigma_i}^M$ vectors for $i = 1, ..., K$ and is therefore 2KD-dimensional.

**Weighted Fisher Vector** One weakness of the Fisher Vector described above is that when training GMM, the contributions of all the offsets in the Offset Matrix are equal. However, since every word in one text segment has its own weight (e.g. tf-idf), then the offset between different word embeddings in one text segment pair should have different weights to the relation of the pair. Based on this assumption, each offset in the Offset Matrix has its own weight $\alpha$ when training GMM, and the Offset Matrix $M$ then becomes a weighted Matrix $M_\alpha = \{ \alpha_t \omega_t, 1 \leq t \leq N \}$. With these weighted matrices, we evaluate the parameters of GMM and generate fisher vectors as described above, we name these generated vectors Weighted Fisher Vector.

**Experiment**

We evaluated the proposed method on two datasets: the Penn Discourse Treebank (Miltisakaki et al. 2004) and explanatory relations in product reviews (Zhang et al. 2013).

**Implicit Discourse Relation Detection with Penn Discourse Treebank**

**Experiment Protocols** The dataset we used in this work is Penn Discourse Treebank 2.0 (Prasad et al. 2008), which is one of the largest available annotated corpora of discourse relations. It contains 40,600 relations, which are manually
Table 1: The performances of different approaches on the PDTB. “FV” represents our approach using Fisher Vector, and “WFV” represents our approach using Weighted Fisher Vector. “ADD” is additive vector composition and “PWM” is point-wise multiplicative vector composition (Mitchell and Lapata 2010), “RAE” is (Socher et al. 2011)’s recursive auto-encoder mentioned above. CON means to use the concatenation of compositional text segment vectors as features, SUB denotes using the subtraction of compositional text segment vectors as features.

<table>
<thead>
<tr>
<th></th>
<th>Comparison</th>
<th>Contingency</th>
<th>Expansion</th>
<th>Temporal</th>
</tr>
</thead>
<tbody>
<tr>
<td>(Pitler, Louis, and Nenkova 2009)</td>
<td>21.96%</td>
<td>47.13%</td>
<td>76.42%</td>
<td>16.76%</td>
</tr>
<tr>
<td>(Zhou et al. 2010)</td>
<td>31.79%</td>
<td>47.16%</td>
<td>70.11%</td>
<td>20.30%</td>
</tr>
<tr>
<td>(Park and Cardie 2012)</td>
<td>31.32%</td>
<td>49.82%</td>
<td>79.22%</td>
<td>26.57%</td>
</tr>
<tr>
<td>(McKeown and Biran 2013)</td>
<td>25.4%</td>
<td>46.94%</td>
<td>75.87%</td>
<td>20.23%</td>
</tr>
<tr>
<td>(Ji and Eisenstein 2015)</td>
<td><strong>35.93%</strong></td>
<td>52.78%</td>
<td>80.02%</td>
<td><strong>27.63%</strong></td>
</tr>
<tr>
<td>ADD+CON</td>
<td>26.58%</td>
<td>40.03%</td>
<td>69.72%</td>
<td>12.03%</td>
</tr>
<tr>
<td>PWM+CON</td>
<td>25.01%</td>
<td>41.31%</td>
<td>66.03%</td>
<td>14.28%</td>
</tr>
<tr>
<td>RAE+CON</td>
<td>18.83%</td>
<td>44.49%</td>
<td>71.96%</td>
<td>13.31%</td>
</tr>
<tr>
<td>ADD+SUB</td>
<td>26.30%</td>
<td>39.52%</td>
<td>67.42%</td>
<td>11.18%</td>
</tr>
<tr>
<td>PWM+SUB</td>
<td>24.09%</td>
<td>41.56%</td>
<td>65.87%</td>
<td>11.60%</td>
</tr>
<tr>
<td>RAE+SUB</td>
<td>19.46%</td>
<td>43.69%</td>
<td>69.88%</td>
<td>12.32%</td>
</tr>
<tr>
<td>FV</td>
<td>29.75%</td>
<td>51.86%</td>
<td>80.50%</td>
<td>18.28%</td>
</tr>
<tr>
<td>WFV</td>
<td>30.21%</td>
<td><strong>53.57%</strong></td>
<td><strong>80.90%</strong></td>
<td>20.24%</td>
</tr>
</tbody>
</table>

Annotated from the same 2,312 Wall Street Journal (WSJ) articles as the Penn Treebank. We followed the recommended section partition of PDTB 2.0, which is to use sections 2-20 for training and sections 21-22 for testing (Prasad et al. 2008). For comparison with the work of Pitler et al. (2009), Zhou et al. (2010), McKeown et al. (2013), and Ji (2015) we trained four binary classifiers to identify each of the top level relations. For each classifier, we used an equal number of positive and negative samples as training data, because each of the relations except Expansion is infrequent (Pitler, Louis, and Nenkova 2009). The negative samples were chosen randomly from training sections 2-20. In our experiment, due to the high cost of computing word embeddings, we used the embeddings trained by us on the WSJ Corpus as well as the publicly available embeddings provided by Collobert et al. (2011), Turian et al. (2010), Mikolov (2012) and Mikolov et al. (2013).

We used a 10-fold cross-validation of the training set to select the optimal word embeddings as well as the number of Gaussian densities in the Gaussian Mixture Model (GMM). 300-dimensional vectors pre-trained by Mikolov (2013) achieve the best performance. The optimal number of Gaussian densities in GMM is 16. As for the weights in Weighted Fisher Vector, it is reported in the work of Pitler et al. (2009) that the nouns, verbs and adjectives in the pair contribute more to the detection of its relation. In this experiment, we simply set the weight of the offset between nouns, verbs and adjectives to 2, and the others to 1. For the binary classifier, we trained a Random Forest Classifier based on the Fisher Vectors.

For comparing with the proposed method, we also conducted an experiment in which we used the other methods to combine word embeddings of the two text segments to compose their text segments embeddings. These methods are widely used to capture syntactic and semantic meanings of text segments (Mitchell and Lapata 2010). We obtained the text segments vector from its word embeddings by using the following methods:

- **Vector Addition (ADD):** It was defined as constructing the text segment vector by simply sum the word embeddings in that text segment (Mitchell and Lapata 2010).

  \[
  \text{SentVec}(+) = \sum_{\forall e_i \in \text{sent}} e_{w_i}
  \]  

- **Point-wise Multiplication (PWM):** Mitchell and Lapata (2010) proposed to construct the text segment vector by using point-wise multiplication for every word embedding in that text segment.

  \[
  \text{SentVec}(\otimes) = \prod_{\forall e_i \in \text{sent}} e_{w_i}
  \]  

- **Recursive Autoencoder (RAE):** Socher (2011) used the parser tree of a sentence as the basis for a RAE. The aim is to construct a vector representation for the tree’s root bottom-up where the leaves contain word vectors.

We then performed either concatenation or subtraction on the two text segments embeddings to generate a new vector. After that, we trained supervised classifiers to predict the discourse relations based on the generated vectors.

**Results** The performances of the four binary classifiers on the top level relations are shown in Table 1. The first highlight for this table is that our approach achieved better performance than previous methods on Contingency and Expansion relations as well as achieved a comparable result.
on Comparison and Temporal. This proves our assumption that vector offsets between word embeddings in each discourse segment represent the semantic and syntactic meanings of the discourse segments. Also, setting different weight to some important offsets can obviously improve the performance. Furthermore, compared with previous works (Pitler et al. 2009), Zhou et al. (2010), etc.), which used either a lot of complex textual features and contextual information about the two text segments or a larger unannotated corpus to do the prediction, the proposed approach is quite simple and elegant. We only used the information of the two text segments themselves, no complex features and contextual information are needed. We do not even require parsing of the two text segments. With so little information required, we still achieved even better results on the same dataset than previous works did, thus showing that our method is powerful in modeling discourse relations. We can also observe that the performance on temporal relation is not so good as other relations, we believe this is mainly because the training samples of temporal relation are much less than other relations, maybe those samples are inadequate to train our model.

The results of using compositional text segment vectors on the four top relations are also shown in Table 2. As can be seen from the table, each of these compositional methods has its own strengths and weaknesses. For example, RAE (Socher et al. 2011) performs much better than other compositional methods on the Contingency relation, but it has a weaker performance on the Comparison relation. Also, using concatenation often gets better results than subtraction. In general, the results based on text segment vectors are less than satisfactory, and the performance of our approach far exceeds these results. One possible explanation for this phenomenon is much of the word analogy information cannot be held when constructing the text segment vectors. It demonstrated that the proposed word embedding offset model has carried as much information of the word analogy as possible, so that it can represent the semantic relations between two text segments.

Parameter Sensitivity Finally, we conducted another experiment to show how the hyperparameters (i.e. the kind of word embedding and the number of Gaussian densities in GMM) affect the effectiveness of our proposed method. In that experiment, we first fixed the number of Gaussian densities and change the word embedding used in our method. Then we fixed the word embedding and modified the number of Gaussian densities so that we could see how the hyperparameter alone affects the effectiveness of the proposed method.

Fig. 3 shows the results of using different word embeddings. From the figure, we can observe that although different embeddings were used, the points of the same relation gathered together into four clusters which correspond to the top four relations. In each cluster, the points are very close to each other, which means the Precision and Recall are almost the same under different word embeddings. Taking a deeper look at each cluster, we observe that the Skip-Gram-GoogLe embedding get slightly better performance than other embeddings, whereas the performance of the Skip-Gram-WSJ and C&W embeddings were less than satisfactory. We believe this is mainly because the Skip-Gram-GoogLe embedding was trained on Google News, which is one of the largest corpora used for embedding training, whereas the Skip-Gram-WSJ embedding was trained by us using a corpus much smaller than all of the other embeddings used. The C&W embedding was trained on the Wikipedia corpus, which is quite different from the news corpus, so it is reasonable for its unsatisfactory results on PDTB.

In summary, when fixing the number of Gaussian densities in GMM, the change of word embeddings has minor effect on the performance of our proposed method; all of the embeddings can achieve fairly good performance. Also, training the word embedding on a large corpus may help improve performance.

Fig. 4 illustrates the results via the number of Gaussian densities K, which is used for Fisher kernel. From the figure, we can find that with the increasing number of Gaussian densities, the four curves fluctuate little. One possible explanation for this phenomenon is once the number of Gaussian densities is enough to model the vector offsets, this hyperparameter will have little effect on the performance of our proposed method. Based on the experiments given above, we conclude that the hyperparameters for our proposed method are very easy to choose; no special skills or empirical knowledge are needed.

Explanatory Relation in Product Reviews

The explanatory relation dataset (Zhang et al. 2013) contains a number of reviews about digital cameras crawled from Buzzillions\textsuperscript{5}, which is a product review site and contains more than 16 million reviews. It contains 1,137 sentences, which are composed of 1,665 clauses. 694 clauses are labeled subjective, and 478 clauses explain other ones. More than 56.1% opinion expressions are explained by their corresponding explanatory sentences. Given this dataset, the aim is to decide whether the opinion clause and nearby clauses

\textsuperscript{5}www.buzzillions.com
Figure 4: The Precision, Recall, F-score and Accuracy curves of different number of Gaussian densities on the four top level relations, with word embedding fixed to Skip-Gram-Google Embedding.

Table 2: Performance comparisons between the proposed method and other state-of-the-art methods implemented by Zhang et al. (2013)

<table>
<thead>
<tr>
<th>Methods</th>
<th>Accuracy</th>
<th>F1</th>
</tr>
</thead>
<tbody>
<tr>
<td>RAE-Subj+PDTB-Rel</td>
<td>28.5%</td>
<td>32.8%</td>
</tr>
<tr>
<td>RAE-Subj+SVM-Rel</td>
<td>32.4%</td>
<td>47.6%</td>
</tr>
<tr>
<td>MLN</td>
<td>56.2%</td>
<td>63.5%</td>
</tr>
<tr>
<td>ADD+CON</td>
<td>67.6%</td>
<td>68.7%</td>
</tr>
<tr>
<td>PWM+CON</td>
<td>62.3%</td>
<td>60.5%</td>
</tr>
<tr>
<td>RAE+CON</td>
<td>69.4%</td>
<td>68.8%</td>
</tr>
<tr>
<td>ADD+SUB</td>
<td>61.0%</td>
<td>61.5%</td>
</tr>
<tr>
<td>PWM+SUB</td>
<td>57.5%</td>
<td>58.0%</td>
</tr>
<tr>
<td>RAE+SUB</td>
<td>62.0%</td>
<td>63.9%</td>
</tr>
<tr>
<td>FV</td>
<td>73.4%</td>
<td>77.4%</td>
</tr>
<tr>
<td>WVF</td>
<td>75.2%</td>
<td>79.3%</td>
</tr>
</tbody>
</table>

hold an explanatory relation or not. To make our results comparable to Zhang et al. (2013), we followed the protocol they used to divide the dataset (i.e. we used 80% of the reviews as training set and the others as test set). All the hyperparameters are the same as we used in the last experiment.

We illustrate the results of the proposed method and the results achieved by Zhang et al. (2013) using other methods in Table 2. Since we used the same training and testing data, we listed the results reported in their literature. From the results, we observe that the proposed method achieved significant improvements over all of the other previous methods. We achieved 19.00% absolute improvement (33.92% relative improvement) over the previous best accuracy and 15.80% absolute improvement (24.88% relative improvement) over the previous best F1-score. Such dramatic improvements show that our proposed approach is effective in modeling the discourse level relations.

In summary, we can see that the proposed method achieved satisfactory results on both datasets, showing that our method is not designed for a specific dataset; instead, it has great abilities of generalization. Moreover, the hyperparameters used for the two datasets are also same. It shows that the proposed method can be easily adopted for other tasks.

Conclusions

In this work, we introduced a novel method to model the relations between discourse level relations between text segments. Motivated by the observation of offsets between word embeddings, we proposed to use vector offsets between words in the embedding space. Since the length of text segments is different, the offsets between word embeddings cannot be directly integrated to perform the task. We incorporated the Fisher kernel framework to convert a variable number of vector offsets into a fixed length vector, and in order to incorporate the weights of these offsets into the vector, we also propose the Weighted Fisher Vector. To demonstrated the effectiveness of the proposed method, we evaluated it on two different datasets. Experimental results demonstrate that the performances of the proposed method are better than pervious best results and other representation methods for text segment in most cases.

Acknowledgement

The authors wish to thank the anonymous reviewers for their helpful comments. This work was partially funded by National Natural Science Foundation of China (No. 61473092, 61472088, and 61532011), the National High Technology Research and Development Program of China (No. 2015AA015408), and Shanghai Science and Technology Development Funds (13dz2260200, 13511504300).

References


